

Reinforcement Learning

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Overview

- ▶ Formalizing the reinforcement learning problem: **Markov Decision Processes** (MDPs)

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- ▶ **Seq2seq reinforcement learning** from **human feedback**

Textbooks

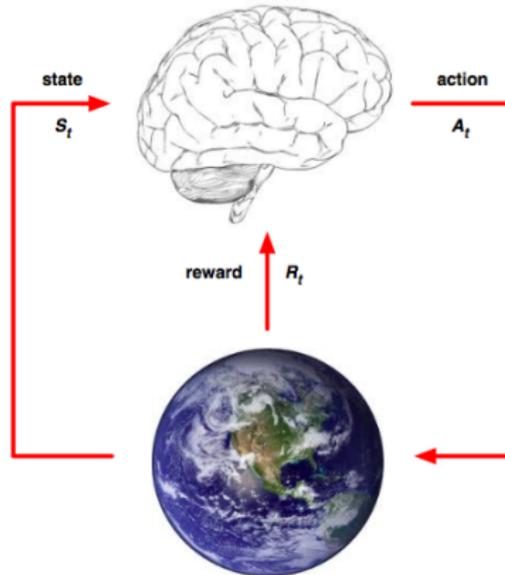
- ▶ Richard S. Sutton and Andrew G. Barto (2018, 2nd edition): Reinforcement Learning: An Introduction. MIT Press.
 - ▶ <http://incompleteideas.net/sutton/book/the-book-2nd.html>
- ▶ Csaba Szepesvári (2010). Algorithms for Reinforcement Learning. Morgan & Claypool.
 - ▶ <https://sites.ualberta.ca/~szepesva/RLBook.html>
- ▶ Dimitri Bertsekas and John Tsitsiklis (1996). Neuro-Dynamic Programming. Athena Scientific.
 - ▶ = another name for deep reinforcement learning, contains a lot of proofs, analog version can be ordered at <http://www.athenasc.com/ndpbook.html>

Reinforcement Learning (RL) Philosophy

- ▶ *Hedonistic* learning system that *wants* something, and adapts its behavior in order to maximize a special signal or *reward* from its environment.
- ▶ *Interactive* learning by trial and error, using consequences of own actions in uncharted territory to learn to maximize expected reward.
- ▶ *Weak supervision signal* since no gold standard examples from expert are available.

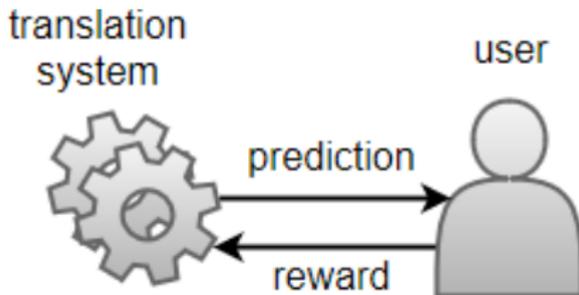
Reinforcement Learning Schema

- ▶ RL as Google DeepMind would like to see it (image from David Silver):



Reinforcement Learning Schema

- ▶ A real-world example: Interactive Machine Translation



- ▶ action = predicting a target word
- ▶ reward = per-sentence translation quality
- ▶ state = source sentence and target history

Reinforcement Learning Schema

Agent/system and environment/user interact

- ▶ at each of a sequence of time steps $t = 0, 1, 2, \dots$,
- ▶ where agent receives a state representation S_t ,
- ▶ on which basis it selects an action A_t ,
- ▶ and as a consequence, it receives a reward R_{t+1} ,
- ▶ and finds itself in a new state S_{t+1} .

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Goal of RL: Maximize the total amount of reward an agent receives in such interactions in the long run.

Formalizing User/Environment: Markov Decision Processes (MDPs)

A **Markov decision process** is a tuple $\langle \mathcal{S}, \mathcal{A}, \mathcal{P}, \mathcal{R} \rangle$ where

- ▶ \mathcal{S} is a set of states,
- ▶ \mathcal{A} is a finite set of actions,
- ▶ \mathcal{P} is a state transition probability matrix s.t.
$$\mathcal{P}_{ss'}^a = P[S_{t+1} = s' | S_t = s, A_t = a],$$
- ▶ \mathcal{R} is a reward function s.t. $\mathcal{R}_s^a = \mathbb{E}[R_{t+1} | S_t = s, A_t = a]$.

Dynamics of MDPs

One-step dynamics of the environment under the Markov property is completely specified by probability distribution over pairs of next state and reward s', r , given state and action s, a :

- ▶ $p(s', r|s, a) = P[S_{t+1} = s', R_{t+1} = r | S_t = s, A_t = a]$.

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$$\mathcal{R}_s^a = \sum_{r \in \mathcal{R}} r \sum_{s' \in \mathcal{S}} p(s', r | s, a).$$

Formalizing Agent/System: Policies

A **stochastic policy** is a distribution over actions given states s.t.

- ▶ $\pi(a|s) = P[A_t = a | S_t = s]$.
- ▶ A policy completely specifies the behavior of an agent/system.
- ▶ Policies are parameterized π_θ , e.g. by a linear model or a neural network - we use π to denote π_θ if unambiguous.
- ▶ Deterministic policies $a = \pi(s)$ also possible.

Policy Evaluation and Policy Optimization

Two central tasks in RL:

- ▶ **Policy evaluation (a.k.a. prediction):** Evaluate the expected reward for a given policy.
- ▶ **Policy optimization (a.k.a. learning/control):** Find the optimal policy / optimize a parametric policy under the expected reward criterion.

Return and Value Functions

- ▶ The **total discounted return** from time-step t for discount $\gamma \in [0, 1]$ is
 - ▶ $G_t = R_{t+1} + \gamma R_{t+2} + \gamma^2 R_{t+3} + \dots = \sum_{k=0}^{\infty} \gamma^k R_{t+k+1}$.

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- ▶ The **action-value function** $q_{\pi}(s, a)$ of an MDP is the expected return starting from state s , taking action a , and following policy π s.t.
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- ▶ The **state-value function** $v_{\pi}(s)$ of an MDP is the expected return starting from state s and following policy π s.t.
 - ▶ $v_{\pi}(s) = \mathbb{E}_{\pi}[G_t | S_t = s] = \mathbb{E}_{a \sim \pi}[q_{\pi}(s, a)]$.

Bellman Expectation Equation

The state-value function can be decomposed into immediate reward plus discounted value of successor state s.t.

$$\begin{aligned} v_{\pi}(s) &= \mathbb{E}_{\pi}[R_{t+1} + \gamma v_{\pi}(S_{t+1}) | S_t = s] \\ &= \sum_{a \in \mathcal{A}} \pi(a|s) \left(\mathcal{R}_s^a + \gamma \sum_{s' \in \mathcal{S}} \mathcal{P}_{ss'}^a v_{\pi}(s') \right). \end{aligned}$$

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In matrix notation:

$$\mathbf{v}_{\pi} = \mathbf{R}^{\pi} + \gamma \mathbf{P}^{\pi} \mathbf{v}_{\pi} \text{ where } \mathbf{R}^{\pi} = \sum_{a \in \mathcal{A}} \pi(a|s) \mathcal{R}_s^a, \mathbf{P}^{\pi} = \sum_{a \in \mathcal{A}} \pi(a|s) \mathcal{P}_{ss'}^a.$$

$$\begin{bmatrix} v(1) \\ \vdots \\ v(n) \end{bmatrix} = \begin{bmatrix} \mathcal{R}_1 \\ \vdots \\ \mathcal{R}_n \end{bmatrix} + \gamma \begin{bmatrix} \mathcal{P}_{11} & \dots & \mathcal{P}_{1n} \\ \vdots & & \\ \mathcal{P}_{n1} & \dots & \mathcal{P}_{nn} \end{bmatrix} \begin{bmatrix} v(1) \\ \vdots \\ v(n) \end{bmatrix}$$

Policy Evaluation by Linear Programming

The value of \mathbf{v}_π can be found directly by solving the linear equations of the Bellman Expectation Equation:

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$$\mathbf{v}_\pi = (\mathbf{I} - \gamma \mathcal{P}^\pi)^{-1} \mathcal{R}^\pi$$

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$$\begin{aligned}\mathbf{v}_\pi &= \mathcal{R}^\pi + \gamma \mathcal{P}^\pi \mathbf{v}_\pi \\ (\mathbf{I} - \gamma \mathcal{P}^\pi) \mathbf{v}_\pi &= \mathcal{R}^\pi \\ \mathbf{v}_\pi &= (\mathbf{I} - \gamma \mathcal{P}^\pi)^{-1} \mathcal{R}^\pi\end{aligned}$$

Policy Evaluation by Dynamic Programming (DP)

Value of \mathbf{v}_π can also be found by iterative application of Bellman Expectation Equation:

- ▶ **Iterative policy evaluation:**

$$\mathbf{v}_{k+1} = \mathcal{R}^\pi + \gamma \mathcal{P}^\pi \mathbf{v}_k.$$

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- ▶ **Iterative policy evaluation:**

$$\mathbf{v}_{k+1} = \mathcal{R}^\pi + \gamma \mathcal{P}^\pi \mathbf{v}_k.$$

- ▶ Performs **dynamic programming** by recursive decomposition of Bellman equation.
- ▶ Can be parallelized (or backed up asynchronously), thus applicable to large MDPs.
- ▶ Converges to \mathbf{v}_π .

Policy Optimization using Bellman Optimality Equation

An optimal policy π_* can be found by maximizing over the optimal action-value function $q_*(s, a) = \max_{\pi} q_{\pi}(s, a)$ s.t.

$$\pi_*(s) = \operatorname{argmax}_a q_*(s, a).$$

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$$\pi_*(s) = \operatorname{argmax}_a q_*(s, a).$$

The optimal action-value function can be recursively decomposed by the Bellman Optimality Equation:

$$\begin{aligned} q_*(s, a) &= \mathbb{E}_{\pi_*} [R_{t+1} + \gamma \max_{a'} q_*(S_{t+1}, a') | S_t = s, A_t = a] \\ &= \mathcal{R}_s^a + \gamma \sum_{s' \in \mathcal{S}} \mathcal{P}_{ss'}^a \max_{a'} q_*(s', a'). \end{aligned}$$

Policy Optimization by Value Iteration

The Bellman Optimality Equation is non-linear and requires iterative solutions such as value iteration by dynamic programming:

► **Value iteration for q -function:**

$$q_{k+1}(s, a) = \mathcal{R}_s^a + \gamma \sum_{s' \in \mathcal{S}} \mathcal{P}_{ss'}^a \max_{a'} q_k(s', a').$$

- Converges to $q_*(s, a)$.

Summary: Dynamic Programming

- ▶ Earliest RL algorithms with well-defined convergence properties.
- ▶ Bellman equation gives recursive decomposition for iterative solution to various problems in policy evaluation and policy optimization.
- ▶ Can be trivially parallelized or even run asynchronously.

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- ▶ Earliest RL algorithms with well-defined convergence properties.
- ▶ Bellman equation gives recursive decomposition for iterative solution to various problems in policy evaluation and policy optimization.
- ▶ Can be trivially parallelized or even run asynchronously.
- ▶ We **need to know a full MDP model** with all transitions and rewards, and touch all of them in learning!

Policy Evaluation by Monte-Carlo (MC) Sampling

▶ Monte-Carlo Policy Evaluation

- ▶ Sample episodes $S_0, A_0, R_1, \dots, R_T \sim \pi$.
- ▶ For each sampled episode:
 - ▶ Increment state counter $N(s) \leftarrow N(s) + 1$.
 - ▶ Increment total return $S(s) \leftarrow S(s) + G_t$.
- ▶ Estimate mean return $V(s) = S(s)/N(s)$.

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- ▶ Learns v_π from episodes sampled under policy π , thus **model-free**.
 - ▶ Updates can be done at first step or at every time step t where state s is visited in episode.
 - ▶ Converges to v_π for large number of samples.

Incremental Mean

Use definition of incremental mean μ_k s.t.

$$\begin{aligned}\mu_k &= \frac{1}{k} \sum_{j=1}^k x_j \\ &= \frac{1}{k} \left(x_k + \sum_{j=1}^{k-1} x_j \right) \\ &= \frac{1}{k} (x_k + (k-1)\mu_{k-1}) \\ &= \mu_{k-1} + \frac{1}{k} (x_k - \mu_{k-1}).\end{aligned}$$

Incremental Monte-Carlo Updates

▶ Incremental Monte-Carlo Policy Evaluation

- ▶ For each sampled episode, for each step t :
 - ▶ $N(S_t) \leftarrow N(S_t) + 1$,
 - ▶ $V(S_t) \leftarrow V(S_t) + \alpha (G_t - V(S_t))$.

Incremental Monte-Carlo Updates

- ▶ **Incremental Monte-Carlo Policy Evaluation**

- ▶ For each sampled episode, for each step t :

- ▶ $N(S_t) \leftarrow N(S_t) + 1,$

- ▶ $V(S_t) \leftarrow V(S_t) + \alpha (G_t - V(S_t)).$

- ▶ Can be seen as **incremental update towards actual return.**

- ▶ α can be $\frac{1}{N(S_t)}$ or more general term $\alpha > 0$.

Policy Evaluation by Temporal Difference (TD) Learning

- ▶ **TD(0):**

- ▶ For each sampled episode, for each step t :

- ▶ $V(S_t) \leftarrow V(S_t) + \alpha (R_{t+1} + \gamma V(S_{t+1}) - V(S_t))$.

Policy Evaluation by Temporal Difference (TD) Learning

- ▶ **TD(0):**
 - ▶ For each sampled episode, for each step t :
 - ▶ $V(S_t) \leftarrow V(S_t) + \alpha (R_{t+1} + \gamma V(S_{t+1}) - V(S_t))$.
- ▶ **Combines sampling and recursive computation** by updating toward estimated return $R_{t+1} + \gamma V(S_{t+1})$.
- ▶ Recall $R_{t+1} + \gamma V(S_{t+1})$ from Bellman Expectation Equation, here called *TD target*.
- ▶ $\delta_t = (R_{t+1} + \gamma V(S_{t+1}) - V(S_t))$ is called *TD error*.

TD Learning with n -Step Returns

n -Step Returns:

▶ $G_t^{(1)} = R_{t+1} + \gamma V(S_{t+1}).$

▶ $G_t^{(2)} = R_{t+1} + \gamma R_{t+2} + \gamma^2 V(S_{t+2}).$

▶ \vdots

▶ $G_t^{(n)} = R_{t+1} + \gamma R_{t+2} + \dots + \gamma^{n-1} R_{t+n} + \gamma^n V(S_{t+n}).$

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n -Step TD Learning:

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TD Learning with λ -Weighted Returns

λ -Returns:

- ▶ Average n -Step Returns using

$$G_t^\lambda = (1 - \lambda) \sum_{n=1}^{\infty} \lambda^{n-1} G_t^{(n)},$$

where $\lambda \in [0, 1]$.

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- ▶ $V(S_t) \leftarrow V(S_t) + \alpha (G_t^\lambda - V(S_t))$.

Exercise: How can TD(0) be recovered from TD(λ)?

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$\lambda = 0 \Rightarrow G_t^\lambda = G_t^{(1)} = TD(0)$.

Policy Optimization by Q-Learning

- ▶ **Q-Learning** [Watkins and Dayan, 1992]:
- ▶ For each sampled episode:
 - ▶ Initialize S_t .
 - ▶ For each step t :
 - ▶ Sample A_t , observe R_{t+1}, S_{t+1} .
 - ▶ $Q(S_t, A_t) \leftarrow Q(S_t, A_t) + \alpha(R_{t+1} + \gamma \max_{a'} Q(S_{t+1}, a') - Q(S_t, A_t))$.
 - ▶ $S_t \leftarrow S_{t+1}$.

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 - ▶ $S_t \leftarrow S_{t+1}$.
- ▶ **Q-Learning combines sampling and TD(0)-style recursive computation** for policy optimization.
- ▶ Recall $R_{t+1} + \gamma \max_{a'} Q(S_{t+1}, a')$ from Bellman Optimality Equation.

Summary: Monte-Carlo and Temporal-Difference Learning

- ▶ **MC** has **zero bias, but high variance** that grows with number of random actions, transitions, rewards in computation of return.

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- ▶ **MC** has **zero bias, but high variance** that grows with number of random actions, transitions, rewards in computation of return.
- ▶ **TD** techniques
 - ▶ **reduce variance** since TD target depends on a single random action, transition, reward,
 - ▶ can learn from **incomplete episodes** and can use **online updates**,
 - ▶ introduce **bias** and use approximations which are exact only in special cases.

Summary: Value-Based/Critic-Only Methods

- ▶ All techniques discussed so far, DP, MC, and TD, focus on **value-functions**, not policies.
- ▶ Value-function is also called **critic**, thus critic-only methods.
- ▶ Value-based techniques are inherently **indirect** in learning approximate value-function and extracting near-optimal policy.
- ▶ Overview over DP, MC, and TD in [Sutton and Barto, 1998]

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- ▶ Problems:
 - ▶ Closeness to optimal policy cannot be quantified.
 - ▶ Focus is on deterministic instead of on stochastic policies.

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- ▶ Overview over DP, MC, and TD in [Sutton and Barto, 1998]
- ▶ Problems:
 - ▶ Closeness to optimal policy cannot be quantified.
 - ▶ Focus is on deterministic instead of on stochastic policies.
- ▶ Up next: **Policy Gradient Methods**

Q & A

Policy-Gradient Methods

- ▶ Policy-Gradient techniques attempt at **direct optimization of expected return**

$$\mathbb{E}_{\pi_{\theta}}[G_t]$$

for **parameterized stochastic policy**

$$\pi_{\theta}(a|s) = P[A_t = a | S_t = s, \theta].$$

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for **parameterized stochastic policy**

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- ▶ Policy-function is also called **actor**.
- ▶ We will discuss **actor-only** (optimize parametric policy) and **actor-critic** (learn both policy and critic parameters in tandem) methods.

One-Step MDPs/Gradient Bandits

Let $p_\theta(y)$ denote probability of an action/output, $\Delta(y)$ be the reward/quality of an output.

Objective: $\mathbb{E}_{p_\theta}[\Delta(y)]$

$$\begin{aligned}\text{Gradient: } \nabla_\theta \mathbb{E}_{p_\theta}[\Delta(y)] &= \nabla_\theta \sum_y p_\theta(y) \Delta(y) \\ &= \sum_y \nabla_\theta p_\theta(y) \Delta(y) \\ &= \sum_y \frac{p_\theta(y)}{p_\theta(y)} \nabla_\theta p_\theta(y) \Delta(y) \\ &= \sum_y p_\theta(y) \nabla_\theta \log p_\theta(y) \Delta(y) \\ &= \mathbb{E}_{p_\theta}[\Delta(y) \nabla_\theta \log p_\theta(y)].\end{aligned}$$

Score Function Gradient Estimator for Bandit

▶ Bandit Gradient Ascent:

- ▶ Sample $y_i \sim p_\theta$,
- ▶ Update $\theta \leftarrow \theta + \alpha(\Delta(y_i)\nabla_\theta \log p_\theta(y_i))$.

Score Function Gradient Estimator for Bandit

- ▶ **Bandit Gradient Ascent:**

- ▶ Sample $y_i \sim p_\theta$,
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- ▶ Update by stochastic gradient $g_i = \Delta(y_i)\nabla_\theta \log p_\theta(y_i)$ yields unbiased estimator of $\mathbb{E}_{p_\theta}[\Delta(y)]$

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- ▶ Update by stochastic gradient $g_i = \Delta(y_i)\nabla_\theta \log p_\theta(y_i)$ yields unbiased estimator of $\mathbb{E}_{p_\theta}[\Delta(y)]$
- ▶ Intuition: $\nabla_\theta \log p_\theta(y)$ is called the **score function**.
- ▶ Moving in the direction of g_i pushes up the score of the sample y_i in proportion to its reward $\Delta(y_i)$.
 - ▶ In RL terms: High reward samples are weighted higher - *reinforced!*
 - ▶ Estimator is valid even if $\Delta(y)$ is non-differentiable.

Score Function Gradient Estimator for MDPs

Let $y = S_0, A_0, R_1, \dots, R_T \sim \pi_\theta$ be an episode, and $R(y) = R_1 + \gamma R_2 + \dots + \gamma^{T-1} R_T = \sum_{t=1}^T \gamma^{t-1} R_t$ be its total discounted reward.

- ▶ Objective: $\mathbb{E}_{\pi_\theta}[R(y)]$.
- ▶ Gradient: $\mathbb{E}_{\pi_\theta}[R(y) \sum_{t=0}^{T-1} \nabla_\theta \log \pi_\theta(A_t | S_t)]$.

Score Function Gradient Estimator for MDPs

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- ▶ Gradient: $\mathbb{E}_{\pi_\theta}[R(y) \sum_{t=0}^{T-1} \nabla_\theta \log \pi_\theta(A_t|S_t)]$.
- ▶ **Reinforcement Gradient Ascent:**
 - ▶ Sample episode $y = S_0, A_0, R_1, \dots, R_T \sim \pi_\theta$,
 - ▶ Obtain reward $R(y) = \sum_{t=1}^T \gamma^{t-1} R_t$,
 - ▶ Update $\theta \leftarrow \theta + \alpha (R(y) \sum_{t=0}^{T-1} \nabla_\theta \log \pi_\theta(A_t|S_t))$.

General Form of Policy Gradient Algorithms

Formalized for expected per time-step reward with respect to action-value $q_{\pi_{\theta}}(S_t, A_t)$.

- ▶ Objective: $\mathbb{E}_{\pi_{\theta}}[q_{\pi_{\theta}}(S_t, A_t)]$.
- ▶ Gradient: $\mathbb{E}_{\pi_{\theta}}[q_{\pi_{\theta}}(S_t, A_t)\nabla_{\theta} \log \pi_{\theta}(A_t|S_t)]$.

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- ▶ Gradient: $\mathbb{E}_{\pi_{\theta}}[q_{\pi_{\theta}}(S_t, A_t)\nabla_{\theta} \log \pi_{\theta}(A_t|S_t)]$.
- ▶ **Policy Gradient Ascent:**
 - ▶ Sample episode $y = S_0, A_0, R_1, \dots, R_T \sim \pi_{\theta}$.
 - ▶ For each time step t :
 - ▶ Obtain reward $q_{\pi_{\theta}}(S_t, A_t)$,
 - ▶ Update $\theta \leftarrow \theta + \alpha(q_{\pi_{\theta}}(S_t, A_t)\nabla_{\theta} \log \pi_{\theta}(A_t|S_t))$.

Policy Gradient Algorithms

- ▶ General form for expected per time-step return $q_{\pi_{\theta}}(S_t, A_t)$ is known as **Policy Gradient Theorem** [Sutton et al., 2000].
- ▶ Since $q_{\pi_{\theta}}(s, a)$ is normally not known, one can use the actual discounted return G_t at time step t , calculated from sampled episode. This leads to the **REINFORCE** algorithm [Williams, 1992].

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- ▶ Since $q_{\pi_{\theta}}(s, a)$ is normally not known, one can use the actual discounted return G_t at time step t , calculated from sampled episode. This leads to the **REINFORCE** algorithm [Williams, 1992].
- ▶ Problems of Policy Gradient Algorithms, esp. REINFORCE:
 - ▶ Large variance in discounted returns calculated from sampled episodes.
 - ▶ Each gradient update is done independently of past gradient estimates.

Variance Reduction by Baselines

- ▶ Variance of REINFORCE can be reduced by comparison of actual return G_t to a baseline $b(s)$ for state s that is constant with respect to actions a . Example: average return so far.
- ▶ Update :

$$\theta \leftarrow \theta + \alpha((G_t - b(S_t))\nabla_{\theta} \log \pi_{\theta}(A_t|S_t)).$$

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$$\theta \leftarrow \theta + \alpha((G_t - b(S_t))\nabla_{\theta} \log \pi_{\theta}(A_t|S_t)).$$

- ▶ Can be interpreted as **Control Variate** [Ross, 2013]:
 - ▶ Goal is to augment random variable X (= stochastic gradient) with highly correlated variable Y such that $\text{Var}(X - Y) = \text{Var}(X) + \text{Var}(Y) - 2\text{Cov}(X, Y)$ is reduced.
 - ▶ Gradient remains unbiased since $\mathbb{E}[X - Y + \mathbb{E}[Y]] = \mathbb{E}[X]$.

Variance Reduction by Baselines

Exercise: Show that $\mathbb{E}[Y] = 0$ for constant baselines.

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Proof:

$$\begin{aligned}\mathbb{E}_{\pi_{\theta}}[\nabla_{\theta} \log \pi_{\theta}(a|s)b(s)] &= \sum_a \pi_{\theta}(a|s) \frac{\nabla_{\theta} \pi_{\theta}(a|s)}{\pi_{\theta}(a|s)} b(s) \\ &= b(s) \nabla_{\theta} \sum_a \pi_{\theta}(a|s) \\ &= b(s) \nabla_{\theta} 1 \\ &= 0.\end{aligned}$$

Actor-Critic Methods

- ▶ Learning a critic in order to get an improved estimate of the expected return will also reduce variance.
 - ▶ **Critic:** $TD(0)$ update for linear approximation
 $q_{\pi_{\theta}}(s, a) \approx q_w(s, a) = \phi(s, a)^{\top} w.$
 - ▶ **Actor:** Policy gradient update reinforced by $q_w(s, a).$

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 - ▶ **Actor:** Policy gradient update reinforced by $q_w(s, a).$
- ▶ **Simple Actor-Critic** [Konda and Tsitsiklis, 2000]:
 - ▶ Sample $a \sim \pi_{\theta}.$
 - ▶ For each step t :
 - ▶ Sample reward $r \sim \mathcal{R}_s^a$, transition $s' \sim \mathcal{P}_{s,\cdot}^a$, action $a' \sim \pi_{\theta}(s', \cdot),$
 - ▶ $\delta \leftarrow r + \gamma q_w(s', a') - q_w(s, a),$
 - ▶ $\theta \leftarrow \theta + \alpha \nabla_{\theta} \log \pi_{\theta}(a|s) q_w(s, a),$
 - ▶ $w \leftarrow w + \beta \delta \phi(s, a),$
 - ▶ $a \leftarrow a', s \leftarrow s'.$
- ▶ True online updates of policy π_{θ} in each step!

Advantage Actor-Critic

- ▶ Combine idea of baseline with actor-critic by using **advantage function** that compares action-value function $q_{\pi_{\theta}}(s, a)$ to state-value function $v_{\pi_{\theta}}(s) = \mathbb{E}_{a \sim \pi} [q_{\pi_{\theta}}(s, a)]$.
- ▶ Use approximate TD error

$$\delta_w = r + \gamma v_w(s') - v_w(s),$$

where state-value is approximated by $v_w(s)$, and action-value is approximated by sample $q_w(s') = r + \gamma v_w(s')$.

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- ▶ Update Actor: $\theta \leftarrow \theta + \alpha \nabla_{\theta} \log \pi_{\theta}(a|s)(q_w(s') - v_w(s))$.

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- ▶ Update Actor: $\theta \leftarrow \theta + \alpha \nabla_{\theta} \log \pi_{\theta}(a|s)(q_w(s') - v_w(s))$.
- ▶ Update Critic: $w = \arg \min_w (q_w(s') - v_w(s))^2$.

Summary: Policy-Gradient Methods

- ▶ Build upon huge knowledge in stochastic optimization which provides **excellent theoretical understanding of convergence properties**.
- ▶ Gradient-based techniques are **model-free** since MDP transition matrix is not dependent on θ .
- ▶ Problem of **high variance** in **actor-only** methods can be mitigated by the **critic's low-variance estimate** of expected return.

Quick Summary and Outlook

What have we covered:

- ▶ **Policy evaluation (a.k.a. prediction)** using **DP**
- ▶ **Policy optimization (a.k.a. control)** using **Value-based** techniques of **DP**, **MC**, or both: **TD**.
- ▶ **Policy-gradient** techniques for direct stochastic optimization of parametric policies.

Quick Summary and Outlook

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Where from here on:

- ▶ **Sequence-to-Sequence** Reinforcement Learning
 - ▶ Algorithms for seq2seq RL from **simulated feedback**
 - ▶ Algorithms for offline learning from **logged feedback**
 - ▶ Seq2seq RL from **human bandit feedback**

Sequence-to-Sequence RL

Sequence-to-sequence (seq2seq) learning:

- ▶ $\mathbf{x} = x_1 \dots x_S$ represents an input sequence, indexed over a source vocabulary \mathcal{V}_{Src} .
- ▶ $\mathbf{y} = y_1 \dots y_T$ represents an output sequence, indexed over a target vocabulary \mathcal{V}_{Trg} .
- ▶ Goal of seq2seq learning is to estimate a function for mapping an input sequence \mathbf{x} into an output sequences \mathbf{y} , defined as product of conditional token probabilities:

$$p_{\theta}(\mathbf{y} \mid \mathbf{x}) = \prod_{t=1}^T p_{\theta}(y_t \mid \mathbf{x}; \mathbf{y}_{<t}).$$

Seq2seq RL: Neural Machine Translation

Neural machine translation (NMT):

- ▶ \mathbf{x} are source sentences, \mathbf{y} are human reference translations,
- ▶ **Maximize likelihood of parallel data** $D = \{(\mathbf{x}^{(i)}, \mathbf{y}^{(i)})\}_{i=1}^n$:

$$L(\theta) = \sum_{i=1}^n \log p_{\theta}(\mathbf{y}^{(i)} | \mathbf{x}^{(i)})$$

- ▶ $p_{\theta}(y_t | \mathbf{x}; \mathbf{y}_{<t})$ is defined by the neural model's softmax-normalized output vector of size $\mathbb{R}^{|\mathcal{V}_{\text{Trg}}|}$:

$$p_{\theta}(y_t | \mathbf{x}; \mathbf{y}_{<t}) = \text{softmax}(\text{NN}_{\theta}(\mathbf{x}; \mathbf{y}_{<t})).$$

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$$p_{\theta}(y_t | \mathbf{x}; \mathbf{y}_{<t}) = \text{softmax}(\text{NN}_{\theta}(\mathbf{x}; \mathbf{y}_{<t})).$$

- ▶ Various options for NN_{θ} , such as recurrent [Sutskever et al., 2014, Bahdanau et al., 2015], convolutional [Gehring et al., 2017] or attentional [Vaswani et al., 2017] encoder-decoder architectures (or mix [Chen et al., 2018]).

Seq2seq RL for NMT

Why deviate from supervised learning using parallel data?

Seq2seq RL for NMT

Why deviate from supervised learning using parallel data?

- ▶ What if **no human references** are available, e.g., in under-resourced language pairs?
- ▶ Maybe **weak human feedback signals are easier to obtain** than full translations, e.g., from logged user interactions in commercial NMT services?
- ▶ [Sutton and Barto, 2018] on the “Future of Artificial Intelligence”:

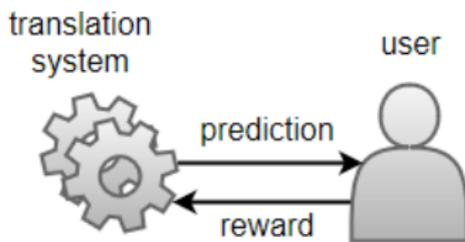
The full potential of reinforcement learning requires reinforcement learning agents to be embedded into the flow of real-world experience, where they act, explore, and learn in our world, not just in their worlds.

Seq2seq RL for NMT

- ▶ Learning from weak user feedback in form of user clicks is state-of-the-art in computational advertising [Bottou et al., 2013, Chapelle et al., 2014].

Seq2seq RL for NMT

- ▶ Learning from weak user feedback in form of user clicks is state-of-the-art in computational advertising [Bottou et al., 2013, Chapelle et al., 2014].
- ▶ Let's dig the **gold mine of user feedback** to improve NMT!



Collecting Feedback: Facebook

 **José Angel** updated his profile picture. 19 hrs · 🌐

Quiero ser un árbol

I want to be a tree

⚙️ Hide original · ⭐ Rate this translation



👍👎👤 You, Ana Marasović, Bhushan Kotnis and 32 others · 5 Comments

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[🔗 See original](#) [🌐 Rate this translation](#)



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Click a star to rate

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Disable automatic translation for Spanish

I have a better translation

Language settings

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[See original](#) [Rate this translation](#)

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I have a better translation

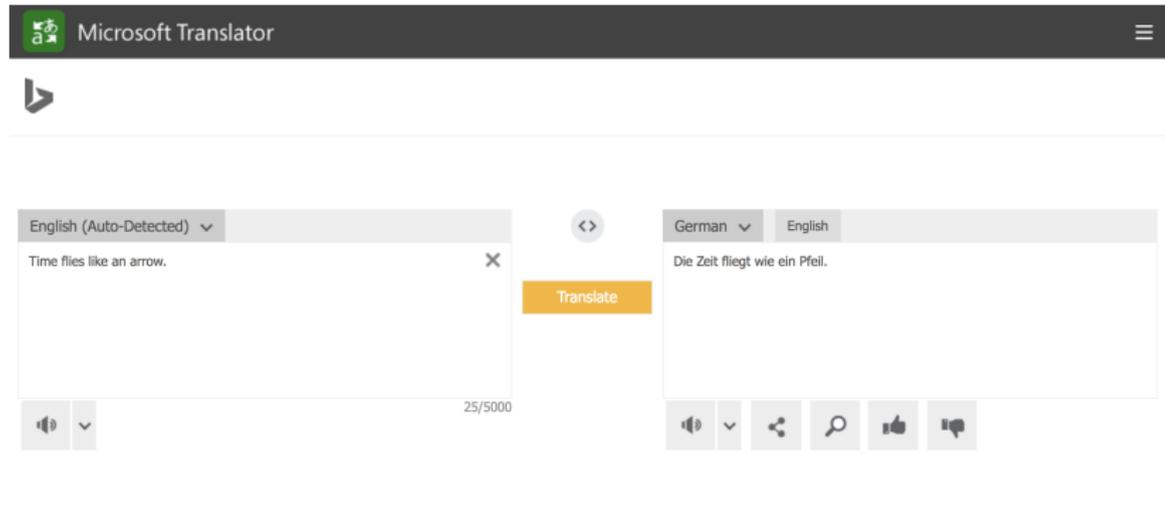
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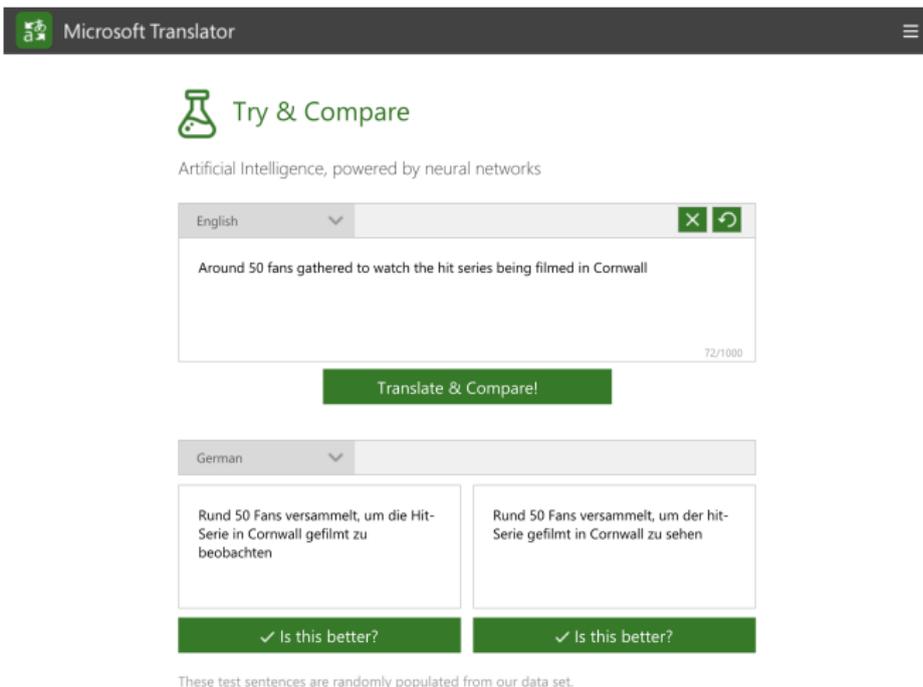
👍 Like 💬 Comment ➦ Share

Collecting Feedback: Microsoft



The screenshot displays the Microsoft Translator web interface. At the top, the header reads "Microsoft Translator" with a language icon on the left and a menu icon on the right. Below the header is a large white arrow icon. The main area is divided into two text input boxes. The left box is labeled "English (Auto-Detected)" and contains the text "Time flies like an arrow." with a character count of "25/5000" at the bottom. The right box is labeled "German" and contains the translated text "Die Zeit fliegt wie ein Pfeil." Below the right box are several icons: a speaker, a dropdown arrow, a share icon, a magnifying glass, a thumbs up icon, and a thumbs down icon. A central orange "Translate" button is positioned between the two text boxes, with a double arrow icon above it.

Collecting Feedback: Microsoft (community)



Microsoft Translator

 Try & Compare

Artificial Intelligence, powered by neural networks

English ⌵ ✕ ↺

Around 50 fans gathered to watch the hit series being filmed in Cornwall

72/1000

Translate & Compare!

German ⌵

Rund 50 Fans versammelt, um die Hit-Serie in Cornwall gefilmt zu beobachten

Rund 50 Fans versammelt, um der hit-Serie gefilmt in Cornwall zu sehen

✓ Is this better?

✓ Is this better?

These test sentences are randomly populated from our data set.

Collecting Feedback: Google

The screenshot shows the Google Translate web interface. The source text is "time flies like an arrow" in English. The target text is "die Zeit vergeht wie im flug" in German. A tooltip menu is open over the German text, showing alternative translations: "die Zeit vergeht wie im flug", "die Zeit fliegt wie ein Pfeil", and "Zeit fliegt wie ein Pfeil". The first option is selected. A "Suggest an edit" button is visible in the bottom right corner of the translation area.

Google

Translate Turn off instant translation

Finnish English German Detect language

English Finnish German Translate

time flies like an arrow

die Zeit vergeht wie im flug

die Zeit vergeht wie im flug
die Zeit fliegt wie ein Pfeil
Zeit fliegt wie ein Pfeil

Improve this translation

Suggest an edit

See also

like, time, an, arrow, flies, time flies

Seq2seq RL for NMT: Simulations

- ▶ NMT in standard RL framework:
 - ▶ In timestep t , a **state** is defined by the input \mathbf{x} and the currently produced tokens $\tilde{\mathbf{y}}_{<t}$.
 - ▶ A **reward** is obtained by evaluating quality of the fully generated sequence $\tilde{\mathbf{y}}$.
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 - ▶ $p_{\theta}(\tilde{y}_t | \mathbf{x}; \tilde{\mathbf{y}}_{<t})$ corresponds to a **stochastic policy**, while the **state transition is deterministic** given an action.
- ▶ Interactive NMT:
 - ▶ The **NMT system is the agent** that performs actions, while the **human user provides rewards**.

Seq2seq RL for NMT: Simulations

- ▶ Expected loss/reward objective:

$$L(\theta) = \mathbb{E}_{p(\mathbf{x}) p_{\theta}(\tilde{\mathbf{y}}|\mathbf{x};\theta)} [\Delta(\tilde{\mathbf{y}})]$$

where $\Delta(\tilde{\mathbf{y}})$ is task loss, e.g., $-\text{BLEU}(\tilde{\mathbf{y}})$

- ▶ Sampling an input \mathbf{x} and an output $\tilde{\mathbf{y}}$, and performing a stochastic gradient descent update corresponds to a **policy gradient** algorithm.

(Neural) Bandit Structured Prediction

Algorithm 1 (Neural) Bandit Structured Prediction

- 1: **for** $k = 0, \dots, K$ **do**
 - 2: Observe input \mathbf{x}_k
 - 3: Sample output $\tilde{\mathbf{y}}_k \sim p_{\theta}(\mathbf{y}|\mathbf{x}_k)$
 - 4: Obtain feedback $\Delta(\tilde{\mathbf{y}}_k)$
 - 5: Update parameters $\theta_{k+1} = \theta_k - \gamma_k s_k$
 - 6: where stochastic gradient $s_k = \Delta(\tilde{\mathbf{y}}) \frac{\partial \log p_{\theta}(\tilde{\mathbf{y}}|\mathbf{x}_k)}{\partial \theta_i}$.
-

- ▶ [Sokolov et al., 2015, Sokolov et al., 2016, Kreutzer et al., 2017]

(Neural) Bandit Structured Prediction

- ▶ Why (Neural) **Bandit** Structured Prediction?
 - ▶ An action is defined as generating a full output sequence, thus corresponding to a **one-state MDP**.
 - ▶ Term **bandit feedback** is inherited from the problem of maximizing the reward for a sequence of pulls of arms of so-called “one-armed bandit” slot machines [Bubeck and Cesa-Bianchi, 2012]:
 - ▶ In contrast to fully supervised learning, the learner receives feedback to a single prediction. It does not know what the correct output looks like, nor what would have happened if it had predicted differently.
 - ▶ Related to gradient bandit algorithms [Sutton and Barto, 2018] and contextual bandits [Li et al., 2010].

(Neural) Bandit Structured Prediction

- ▶ Important measure for variance reduction: **Control variates**
 - ▶ Random variable X is stochastic gradient s_k in case of algorithm 1.
 - ▶ Two choices in [Kreutzer et al., 2017]:
 1. **Baseline** [Williams, 1992]:

$$Y_k = \nabla \log p_\theta(\tilde{\mathbf{y}}|\mathbf{x}_k) \frac{1}{k} \sum_{j=1}^k \Delta(\tilde{\mathbf{y}}_j).$$

2. **Score Function** [Ranganath et al., 2014]:

$$Y_k = \nabla \log p_\theta(\tilde{\mathbf{y}}|\mathbf{x}_k).$$

Advantage Actor-Critic for Bandit NMT

- ▶ Neural encoder-decoder A2C [Nguyen et al., 2017]:
 - ▶ Gradient approximation

$$\nabla L(\theta) \approx \sum_{t=1}^T \bar{R}_t(\tilde{\mathbf{y}}) \nabla_{\theta} \log p_{\theta}(\tilde{y}_t \mid \mathbf{x}; \tilde{\mathbf{y}}_{<t})$$

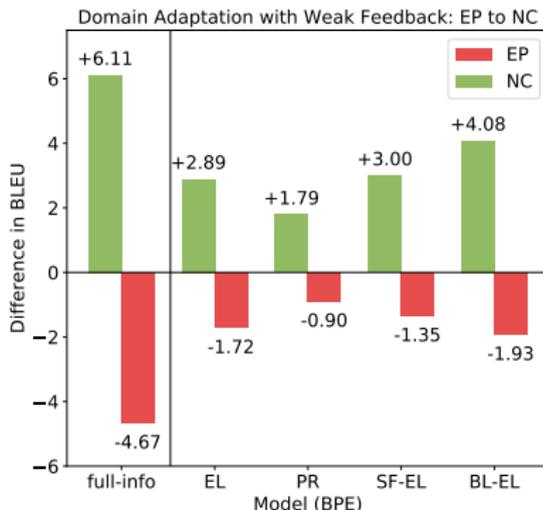
- ▶ Uses **per-action advantage function**

$$\bar{R}_t(\tilde{\mathbf{y}}) := \Delta(\tilde{\mathbf{y}}) - V(\tilde{\mathbf{y}}_{<t})$$

- ▶ State-value function $V(\tilde{\mathbf{y}}_{<t})$ centers the reward and uses separate neural encoder-decoder network that is trained to minimize the squared error $[V_w(\tilde{\mathbf{y}}_{<t}) - \Delta(\tilde{\mathbf{y}})]^2$

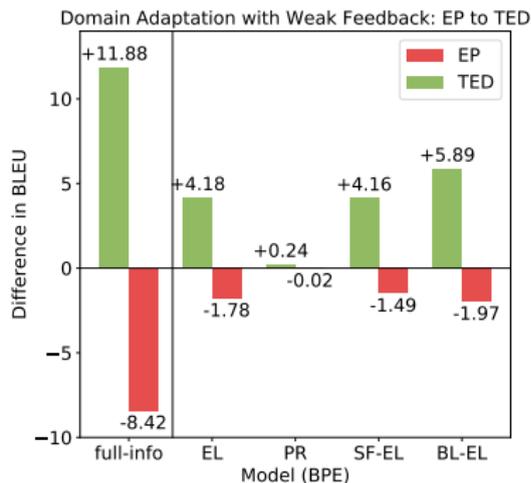
Seq2seq RL for NMT: Simulation Results

- ▶ EuroParl→NewsComm NMT conservative domain adaptation
- ▶ $\Delta(\tilde{y})$ simulated by per-sentence BLEU against reference



Seq2seq RL for NMT: Simulation Results

- ▶ EuroParl→TED NMT conservative domain adaptation task



Seq2seq RL for NMT: To Simulate or Not

- ▶ **Domain adaptation** experiments show **impressive gains** for learning from simulated bandit feedback only
- ▶ Most work on Seq2seq RL for NMT is **confined to simulations**, aiming to improve “exposure bias” and “loss-evaluation mismatch” [Ranzato et al., 2016]
- ▶ Recall [Sutton and Barto, 2018] on the “Future of Artificial Intelligence”:

A major reason for wanting a reinforcement learning agent to act and learn in the real world is that it is often difficult, sometimes impossible, to simulate real-world experience with enough fidelity to make the resulting policies [...] work well—and safely—when directing real actions.

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- ▶ Up next: **From Simulations to Human RL**

Q & A

Seq2seq RL for NMT: From Simulations to Human RL

- ▶ Where do simulations fall short?
 - ▶ Real-world RL only has access to **human bandit feedback** to a single prediction—no summation over all actions that amounts to full supervision [Shen et al., 2016, Bahdanau et al., 2017].
 - ▶ Online/on-policy learning might be undesirable given concerns about **safety and stability of commercial systems**.
 - ▶ **Reward function** for human translation quality is **not well defined**, reward signals are **noisy and skewed**.

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- ▶ (Super)human performance (similar to playing Atari or Go) of real-world RL is not to be expected soon!

Seq2seq RL for NMT: From Simulations to Human RL

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Seq2seq RL for NMT: From Simulations to Human RL

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⇒ **reward estimation**

Offline Learning from Logged Feedback

Standard: Online/On-Policy RL

- ▶ Undesirable if stability or real-world system has priority over frequent updates after each interaction

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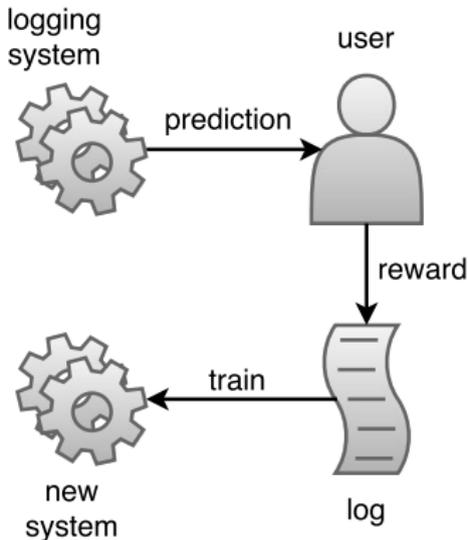
- ▶ Undesirable if stability or real-world system has priority over frequent updates after each interaction

Offline/Off-Policy RL from Logged Bandit Feedback

- ▶ Attempts to learn from logged feedback that has been given to the predictions of a historic system following a different policy
- ▶ Allows control over system updates
- ▶ Prior work in counterfactual bandit learning [Dudik et al., 2011, Bottou et al., 2013] and off-policy RL [Precup et al., 2000, Jiang and Li, 2016]

Offline Learning = Counterfactual Learning

- ▶ Counterfactual question: Estimate how the new system would have performed if it had been in control of choosing the logged predictions.



Offline Learning from Logged Feedback

- ▶ Logged data $D = \{(\mathbf{x}^{(h)}, \mathbf{y}^{(h)}, r(\mathbf{y}^{(h)}))\}_{h=1}^H$ where $\mathbf{y}^{(h)}$ is sampled from a logging system $\mu(\mathbf{y}^{(h)}|\mathbf{x}^{(h)})$, and the reward/loss $r(\mathbf{y}^{(h)}) \in [0, 1]$ is obtained from human user.
- ▶ Inverse propensity scoring (IPS) to learn target policy $p_\theta(\mathbf{y}|\mathbf{x})$:

$$L(\theta) = \frac{1}{H} \sum_{h=1}^H r(\mathbf{y}^{(h)}) \rho_\theta(\mathbf{y}^{(h)}|\mathbf{x}^{(h)}).$$

- ▶ IPS uses **importance sampling** to correct for sampling bias of logging system s.t. $\rho_\theta(\mathbf{y}^{(h)}|\mathbf{x}^{(h)}) = \frac{p_\theta(\mathbf{y}^{(h)}|\mathbf{x}^{(h)})}{\mu(\mathbf{y}^{(h)}|\mathbf{x}^{(h)})}$

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$$\begin{aligned} \frac{1}{H} \sum_{h=1}^H r(\mathbf{y}^{(h)}) \frac{p_\theta(\mathbf{y}^{(h)}|\mathbf{x}^{(h)})}{\mu(\mathbf{y}^{(h)}|\mathbf{x}^{(h)})} &= \mathbb{E}_{p(\mathbf{x})} \mathbb{E}_{\mu(\mathbf{y}|\mathbf{x})} [r(\mathbf{y}) \frac{p_\theta(\mathbf{y}|\mathbf{x})}{\mu(\mathbf{y}|\mathbf{x})}] \\ &= \mathbb{E}_{p(\mathbf{x})} \mathbb{E}_{p_\theta(\mathbf{y}|\mathbf{x})} [r(\mathbf{y})]. \end{aligned}$$

Offline Learning under Deterministic Logging: Problems

- ▶ Commercial NMT systems try to avoid risk by showing only most probable translation to users = exploration-free, deterministic logging

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- ▶ Commercial NMT systems try to avoid risk by showing only most probable translation to users = exploration-free, deterministic logging
- ▶ Problems with deterministic logging [Lawrence et al., 2017a]
 - ▶ **No correction of sampling bias** like in IPS since $\mu(\mathbf{y}|\mathbf{x}) = 1$
 - ▶ **Degenerate behavior**: Empirical reward over log is maximized by setting probability of *all* logged data to 1
→ Undesirable to increase probability of low reward examples
 - ▶ Unbiased learning is **thought to be impossible** for exploration-free off-policy learning [Langford et al., 2008, Strehl et al., 2010].

Offline Learning under Deterministic Logging: Solutions

- ▶ **Implicit exploration** via inputs [Bastani et al., 2017]

Offline Learning under Deterministic Logging: Solutions

- ▶ **Implicit exploration** via inputs [Bastani et al., 2017]
- ▶ **Deterministic Propensity Matching (DPM)**
[Lawrence et al., 2017b, Lawrence and Riezler, 2018]

$$L(\theta) = \frac{1}{H} \sum_{h=1}^H r(\mathbf{y}^{(h)}) \bar{p}_{\theta}(\mathbf{y}^{(h)} | \mathbf{x}^{(h)}),$$

- ▶ **Reweighting** by multiplicative control variate, evaluated **one-step-late** at θ' from some previous iteration:

$$\bar{p}_{\theta, \theta'}(\mathbf{y}^{(h)} | \mathbf{x}^{(h)}) = \frac{p_{\theta}(\mathbf{y}^{(h)} | \mathbf{x}^{(h)})}{\sum_{b=1}^B p_{\theta'}(\mathbf{y}^{(b)} | \mathbf{x}^{(b)})}.$$

- ▶ **Effect of self-normalization:** Introduces bias that decreases as B increases [Kong, 1992], but prevents increasing probability for low reward data by taking away probability mass from higher reward outputs.

Offline Learning under Deterministic Logging: Gradients

- ▶ Optimization by Stochastic Gradient Descent
 - ▶ IPS:

$$\nabla L(\theta) = \frac{1}{H} \sum_{h=1}^H r(\mathbf{y}^{(h)}) \rho_{\theta}(\mathbf{y}^{(h)} | \mathbf{x}^{(h)}) \nabla \log p_{\theta}(\mathbf{y}^{(h)} | \mathbf{x}^{(h)})$$

- ▶ OSL self-normalized deterministic propensity matching:

$$\nabla L(\theta) = \frac{1}{H} \sum_{h=1}^H r(\mathbf{y}^{(h)}) \bar{p}_{\theta, \theta}(\mathbf{y}^{(h)} | \mathbf{x}^{(h)}) \nabla \log p_{\theta}(\mathbf{y}^{(h)} | \mathbf{x}^{(h)})$$

Offline Learning from Human Feedback: e-commerce



Pasa el puntero del ratón sobre la imagen para ampliarla



Juego Nerd De Computadora Geek Toalla de playa | wellcoda - [ver título original](#)

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Size: **- Seleccionar -**

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Texto original
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- ▶ [Kreutzer et al., 2018]: 69k translated item titles (en-es) with 148k individual ratings
- ▶ No agreement of paid raters with e-commerce users, low inter-rater agreement, learning impossible

Offline Learning from Human Feedback: e-commerce

- ▶ Lessons from e-commerce experiments:
 - ▶ Offline learning from direct user feedback to e-commerce titles is equivalent to **learning from noise**
 - ▶ Conjecture: Missing reliability and validity of human feedback in e-commerce experiment
 - ▶ Need experiment on controlled feedback collection!

Offline Learning from Controlled Human Feedback

TRANSLATION: Now i'm saying, *computer, take the 10 percent of the sequences that have come to my prescription. *

ORIGINAL: Jetzt sage ich, *Computer, nimm jetzt diejenigen 10 % der Sequenzen, welche meinen Vorgaben am nächsten gekommen sind.

- 5 (Very Good)
- 4 (Good)
- 3 (Neither Good nor Bad)
- 2 (Bad)
- 1 (Very Bad)

VS

ORIGINAL: Der andere Hut, den ich bei meiner Arbeit getragen habe, ist der der Aktivistin, als PatientInnenanwältin – oder, wie ich manchmal sage, als ungeduldige Anwältin – von Menschen, die Patienten von Ärzten sind. *

- TRANSLATION 1: The other hat i worn at my work is the activist, as a patient woman – or, as i sometimes say, as an impatient lawyer – of people who are patients of doctors.
- TRANSLATION 2: The other hat i've carried in my work is the activist, the patient's lawyer – or, as i say sometimes, as an impatient lawyer – of people who are patients of doctors.
- NO PREFERENCE

- ▶ Ratings on five-point Likert scale (left) and pairwise preferences (right), ~15 bilinguals for each task
- ▶ 800 de-en translations and 400 pairs¹, filtered for length 20-40 and paired by difference in chrF score [Popović, 2015]

¹Data: <https://www.cl.uni-heidelberg.de/statnlpgroup/humanmt/>

Reliability and Learnability of Human Feedback

- ▶ Controlled study on main factors in human RL:
 1. **Reliability**: Collect five-point and pairwise feedback on same data, evaluate intra- and inter-rater agreement.
 2. **Learnability**: Train reward estimators on human feedback, evaluate correlation to TER on held-out data.
 3. **RL**: Use rewards directly or estimated rewards to improve an NMT system.

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What are your guesses on reliability and learnability—five-point or pairwise?

Reliability: α -agreement

Rating Type	Inter-rater	Intra-rater	
	α	Mean α	Stdev α
5-point	0.2308	0.4014	0.1907
+ normalization	0.2820		
+ filtering	0.5059		
Pairwise	0.2385	0.5085	0.2096
+ filtering	0.3912		

- ▶ Inter- and intra-reliability measured by Krippendorff's α for 5-point and pairwise ratings of 1,000 translations of which 200 translations are repeated twice.
- ▶ Filtered variants are restricted to either a subset of participants (5-point) or a subset of translations (pairwise).

Reliability: Qualitative Analysis

Rating Type	Avg. subjective difficulty [1-10]
5-point	4.8
Pairwise	5.69

- ▶ Difficulties with **5-point** ratings:
 - ▶ Weighing of error types; long sentences with few essential errors
- ▶ Difficulties with **Pairwise** ratings:
 - ▶ Distinction between similar translations
 - ▶ Ties: no absolute anchoring of the quality of the pair
 - ▶ Final score: No normalization for individual biases possible

Learnability: 5-point Feedback

- ▶ Inputs are sources \mathbf{x} and their translations \mathbf{y}
- ▶ Given cardinal ratings r , train a regression model with parameters ψ to minimize the mean squared error (MSE) for predicted rewards \hat{r} :

$$L(\psi) = \frac{1}{n} \sum_{i=1}^n (r(\mathbf{y}_i) - \hat{r}_{\psi}(\mathbf{y}_i))^2.$$

Learnability: Pairwise Feedback

- ▶ Given human preference $Q[\mathbf{y}^1 \succ \mathbf{y}^2]$ for translation \mathbf{y}_1 over translation \mathbf{y}_2
- ▶ Train estimator $\hat{P}_\psi[\mathbf{y}^1 \succ \mathbf{y}^2]$ by minimizing cross-entropy between predictions and human preferences:

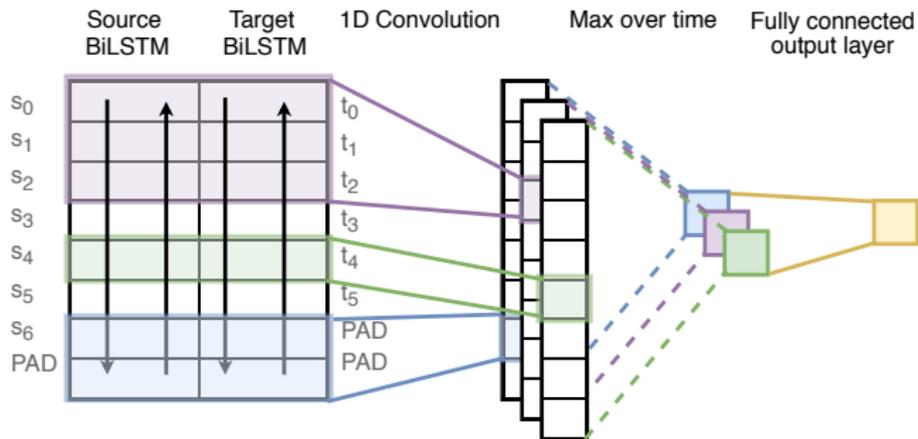
$$L(\psi) = -\frac{1}{n} \sum_{i=1}^n (Q[\mathbf{y}_i^1 \succ \mathbf{y}_i^2] \log \hat{P}_\psi[\mathbf{y}_i^1 \succ \mathbf{y}_i^2] + Q[\mathbf{y}_i^2 \succ \mathbf{y}_i^1] \log \hat{P}_\psi[\mathbf{y}_i^2 \succ \mathbf{y}_i^1]),$$

with the Bradley-Terry model for preferences

$$\hat{P}_\psi[\mathbf{y}^1 \succ \mathbf{y}^2] = \frac{\exp \hat{r}_\psi(\mathbf{y}^1)}{\exp \hat{r}_\psi(\mathbf{y}^1) + \exp \hat{r}_\psi(\mathbf{y}^2)}.$$

- ▶ Use Bradley-Terry model's \hat{r} as reward estimator [Christiano et al., 2017]

Reward Estimator Architecture



- biLSTM-enhanced bilingual extension of convolutional model for sentence classification [Kim, 2014]

Learnability: Results

Model	Feedback	Spearman's ρ with -TER
MSE	5-point norm.	0.2193
	+ filtering	0.2341
PW	Pairwise	0.1310
	+ filtering	0.1255

- ▶ Comparatively better results for reward estimation from cardinal human judgements.
- ▶ Overall relatively low correlation, presumably due to overfitting on small training data set.

End-to-end Seq2seq RL

1. Tackle **the arguably simpler** problem of learning a reward estimator from human feedback first.
2. Then **provide unlimited learned feedback** to generalize to unseen outputs in off-policy RL.

End-to-End RL from Estimated Rewards

Expected Risk Minimization from Estimated Rewards

Estimated rewards allow to use minimum risk training

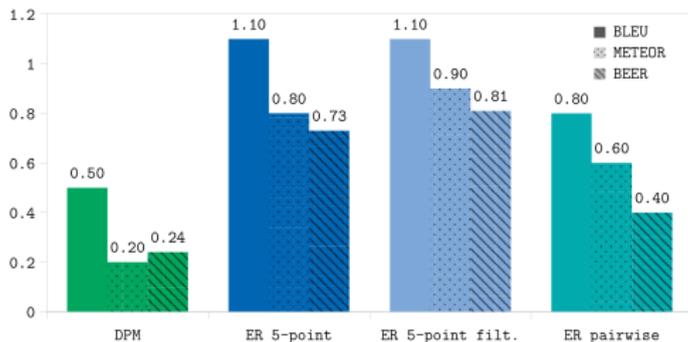
[Shen et al., 2016] s.t. feedback can be collected for k samples:

$$L(\theta) = \mathbb{E}_{p(\mathbf{x})p_{\theta}(\mathbf{y}|\mathbf{x})} [\hat{r}_{\psi}(\mathbf{y})]$$

$$\approx \sum_{s=1}^S \sum_{i=1}^k p_{\theta}^{\tau}(\tilde{\mathbf{y}}_i^{(s)} | \mathbf{x}^{(s)}) \hat{r}_{\psi}(\tilde{\mathbf{y}}_i)$$

- ▶ Softmax temperature τ to control the amount of exploration by sharpening the sampling distribution $p_{\theta}^{\tau}(\mathbf{y}|\mathbf{x}) = \text{softmax}(\mathbf{o}/\tau)$ at lower temperatures.
- ▶ Subtract the running average of rewards from \hat{r}_{ψ} to reduce gradient variance and estimation bias.

Results on TED Talk Translations



- ▶ Significant improvements over the baseline (27.0 BLEU / 30.7 METEOR / 59.48 BEER):
 - ▶ Gains of 1.1 BLEU for expected risk (ER) minimization for estimated rewards.
 - ▶ Deterministic propensity matching (DPM) on directly logged human feedback yields up to 0.5 BLEU points.

Recent Developments in Seq2seq RL

RL from **simulated feedback**:

- ▶ Use of task-specific evaluation metrics (e.g. ROUGE, BLEU, F-score, etc.) as reward signals has become popular in various NLP tasks [Keneshloo et al., 2019].

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Connections of RL from human feedback to **imitation learning**:

- ▶ Token-wise error markings on sequence outputs [Kreutzer et al., 2020, Reddy et al., 2020]
- ▶ Better trade-off between signal strength (precise credit assignment) and annotation cost (reduced human effort).

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Connections of RL from human feedback to **active learning**:

- ▶ Learn a policy to decide when to ask for which kind of feedback from a teacher [Kreutzer and Riezler, 2019], or to decide for which data to get annotations [Fang et al., 2017].

Summary

Basic RL:

- ▶ **Policy evaluation** using **Dynamic Programming**
- ▶ **Policy optimization** using **Dynamic Programming, Monte Carlo**, or both: **Temporal Difference** learning.
- ▶ **Policy-gradient** techniques for direct policy optimization.

Seq2seq RL:

- ▶ Seq2seq RL **simulations**: Bandit Neural Machine Translation.
- ▶ **Offline** learning from deterministically logged feedback: Deterministic Propensity Matching.
- ▶ Seq2seq RL from **human feedback**: Collecting reliable feedback, learning reward estimators, end-to-end RL from estimated rewards.

Q & A

Thank you!

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